

AT THE BORDERLINE BETWEEN INCLUSIVE AND
EXCLUSIVE PHYSICS.
FRAGMENTS IN THE DRELL-YAN PROCESS:
AZIMUTHAL ASYMMETRIES

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PANDA ($s = 30 \text{ GeV}^2$)

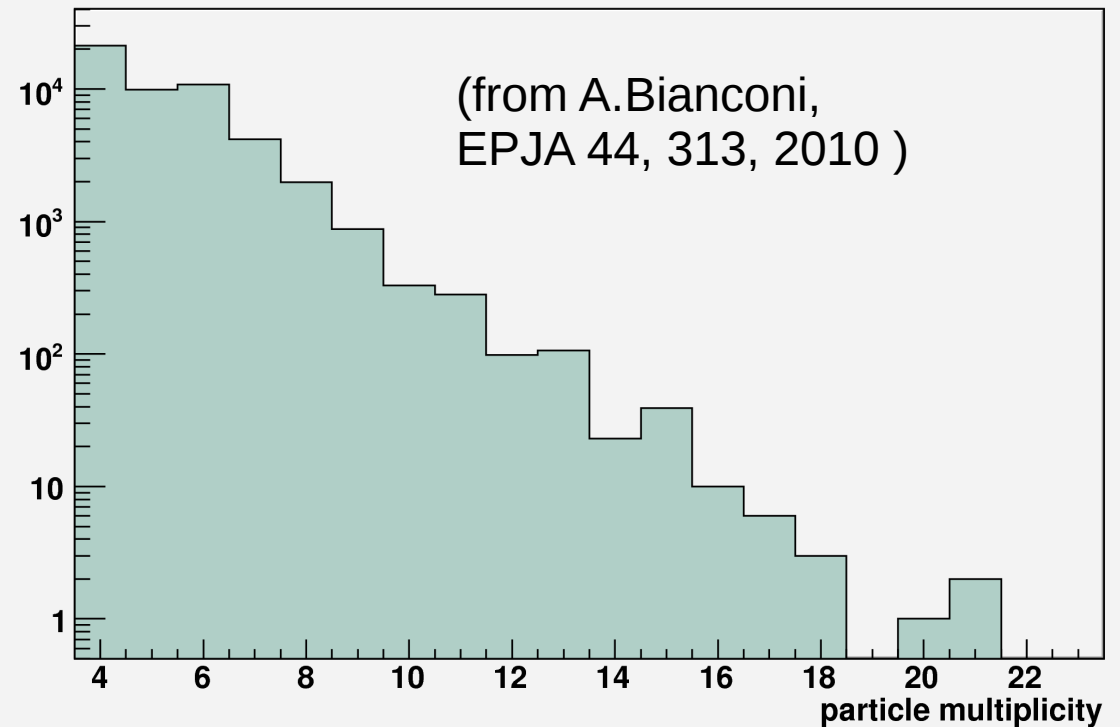
Pythia simulation

The number of the fragments
Is very small

An N-Nbar pair is
always present

Almost half of the events are
Dilepton plus N-Nbar only

Event distribution



total number

50000

no (anti)baryons

179

1 N-Nbar pair

49805

2 N-Nbar pairs

16

1 p-pbar

21765

1 n-nbar

20078

mixed pair

7993

4 / 1000 of the total

half with no more hadrons
or hard photons

Ratio p-pbar : n-nbar : mixed = 11 : 10 : 4

Means: u-ubar annihilation
+ random creation of u-ubar and d-dbar pairs.

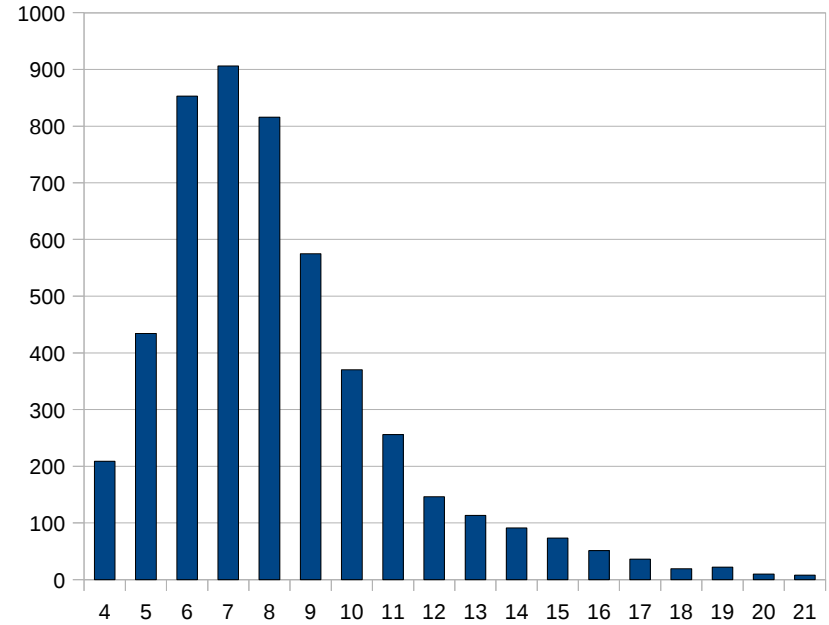
Remark: the rather complex Pythia machine in these events becomes very basic:
Quark-diquark splitting,
No gluons,
Final state pair creation with random relative (soft) p.

Antiproton-proton at $s = 100 \text{ GeV}^2$

Final multiplicity distribution



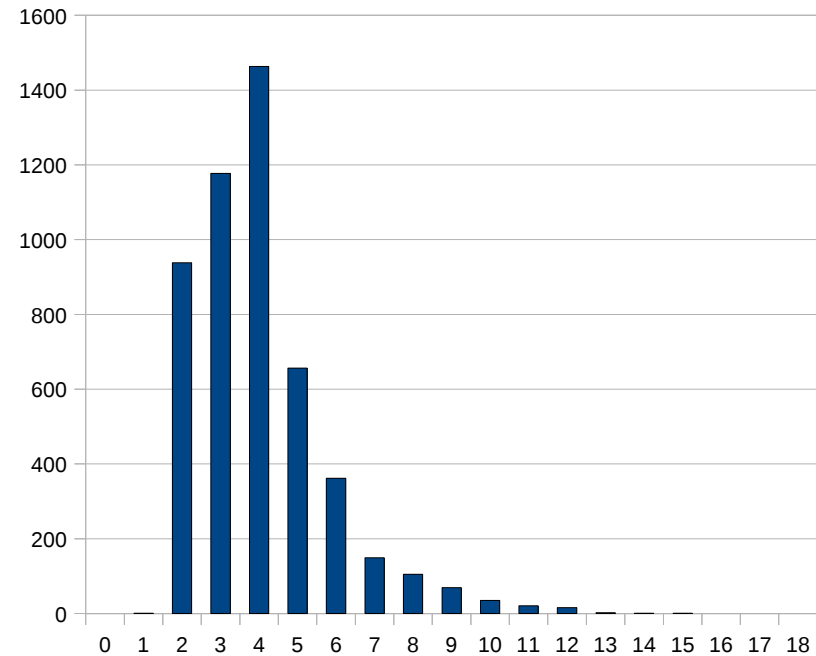
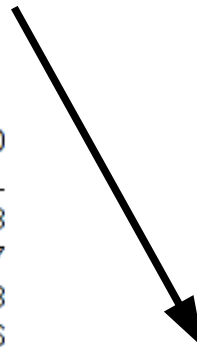
4	209
5	434
6	853
7	906
8	816
9	575
10	370
11	256
12	146
13	113
14	91
15	73
16	51
17	36
18	19
19	22
20	10
21	8



Final hadron multiplicity distribution



0	0
1	1
2	938
3	1177
4	1463
5	656
6	362
7	149
8	105
9	69
10	35
11	21
12	16
13	2
14	1
15	1
16	0
17	0



Detailed Pythia event analysis: 3 ranges

PANDA: plain u-ubar + basic recombination: final N-Nbar pair

COMPASS: 2 / 3 primary final hadrons (Baryon and heavy meson)
decaying into N + pions / photons

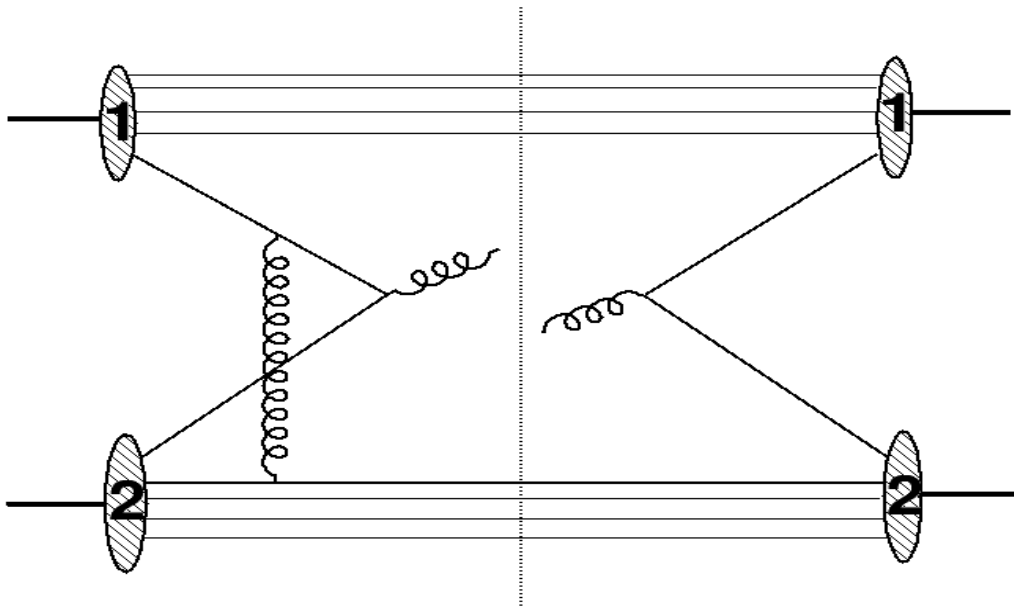
$S > 400 \text{ GeV}^2$: high-order Fok states, 1st-order QCD, cascading

Larger Q \rightarrow smaller multiplicity

$$\left(\text{total fragment invariant mass } M^2 \approx (1-x_1)(1-x_2) s \right)$$

Attempt: build a parton-level MonteCarlo to produce lepton BM and other asymmetries, and fragments.

Initial goal: events with the dilepton, a final proton-antiproton pair, and nothing more.



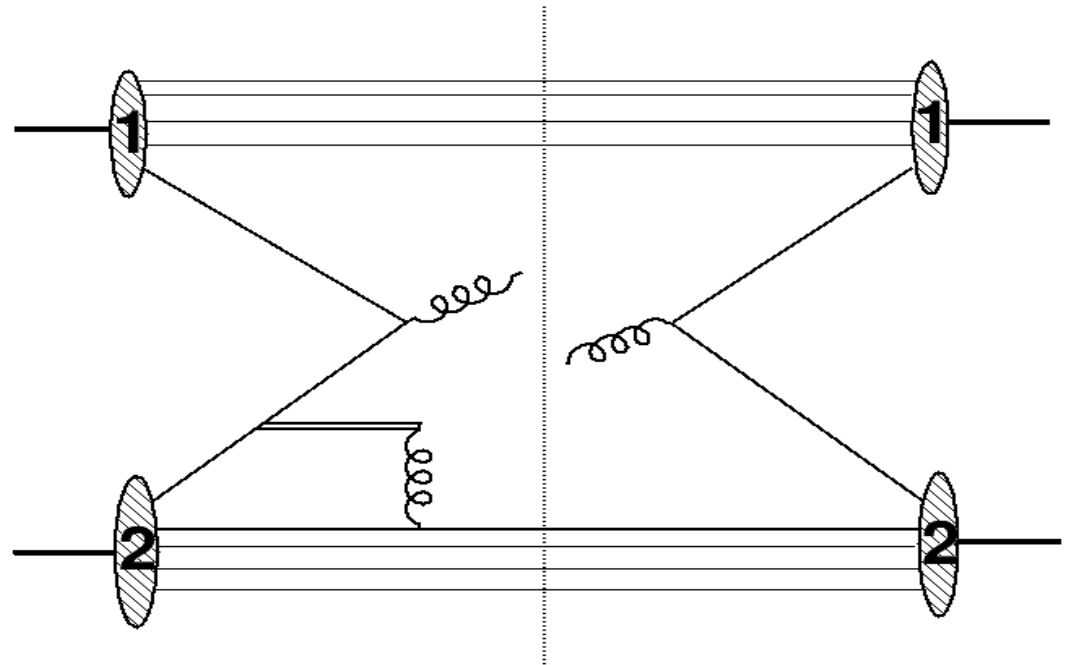
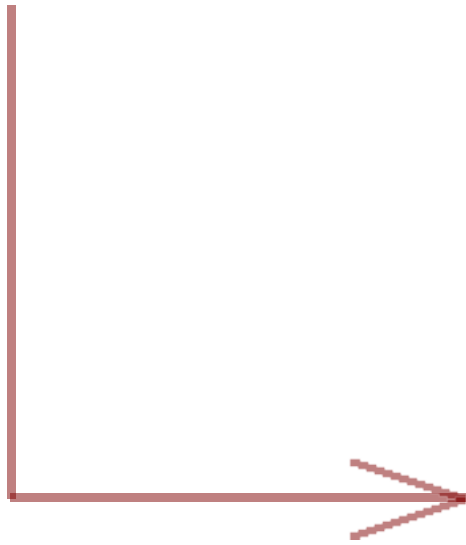
Theory

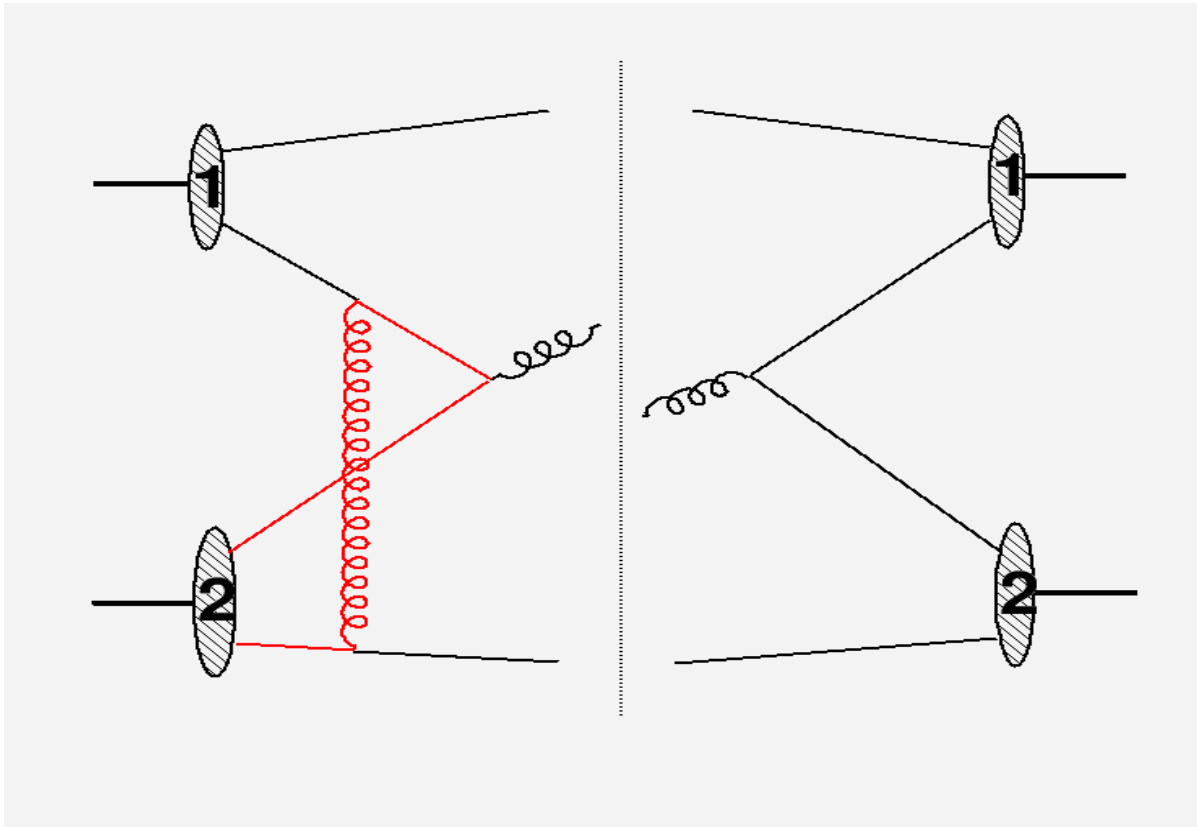
< 1988

Collins, Soper, Sterman,

2002

Brodsky, Hwang, Schmidt





How much of that knowledge may be transferred to this?

Much of the work on factorization is performed on the red loop, that is still there.

Pinch \rightarrow gluon collinearity

No pinch \rightarrow no glaufer contribution

Ward on the upper quark line

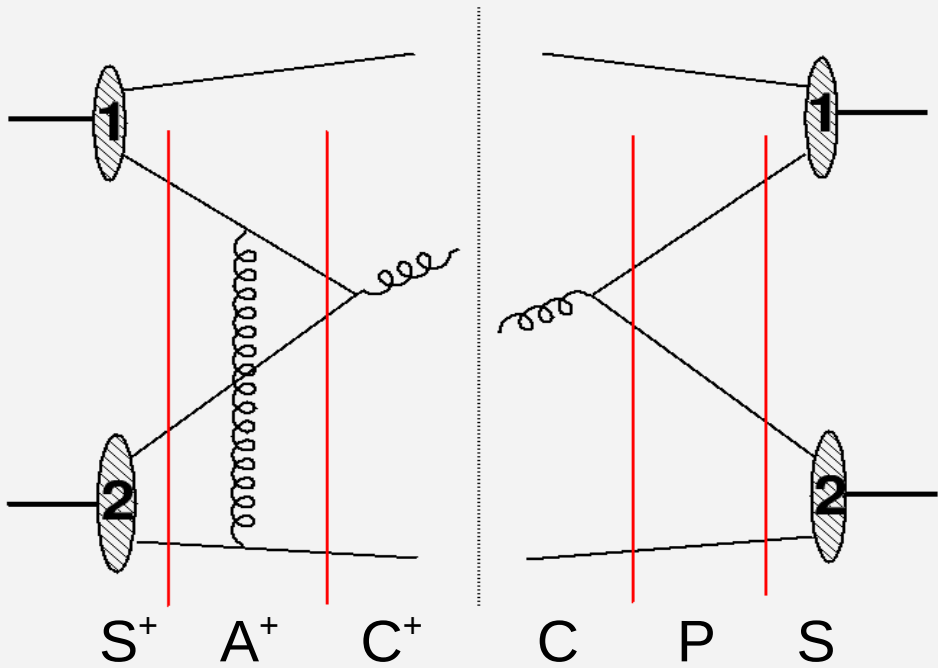
No final state unitarity \rightarrow surprises may come from here

Two possible schemes

- 1) strict factorization scheme: -) no rescattering,
-) BM Sivers etc effects are “intrinsic” features of the nucleon-to-partons decay vertex
- 2) rescattering scheme: -) nucleon-to-partons = physically admitted isolated decay
-) BM Sivers etc from physically admitted rescattering
-) Rescattering restricted to exchange of transverse momentum with fixed-scale magnitude 0.1-1 GeV

By tuning parameters I may get the same results in both schemes.

I have worked in the rescattering scheme.



Reorganization of interference:

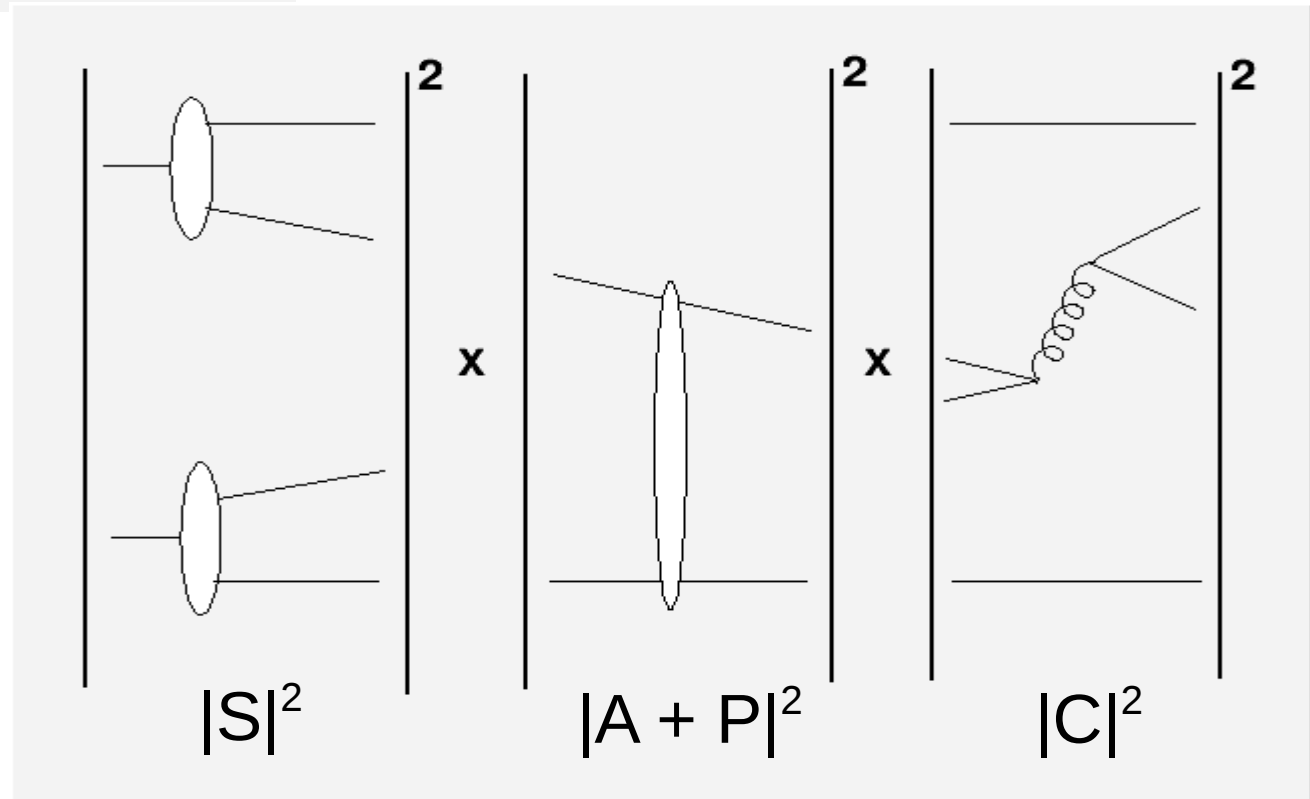
For each set of (anti)quark spins

$$|S P C + S A C|^2$$

$$\Rightarrow |S|^2 |P+A|^2 |C|^2$$

Interference features (for a given Initial state) are present in $2 \operatorname{Re}(A P^+)$,

Interference features of the loop are partly lost



Rescattering in spin-orbit form

interference between h-flip and h-no-flip channels (Goldstein-Moravcsik, 1982)

May change L by 1 unit

Does not touch J

Produces active parton asymmetries of the required tensor form

Implementation: y-spin up => random x-momentum shift, mainly positive
y-spin down => the opposite

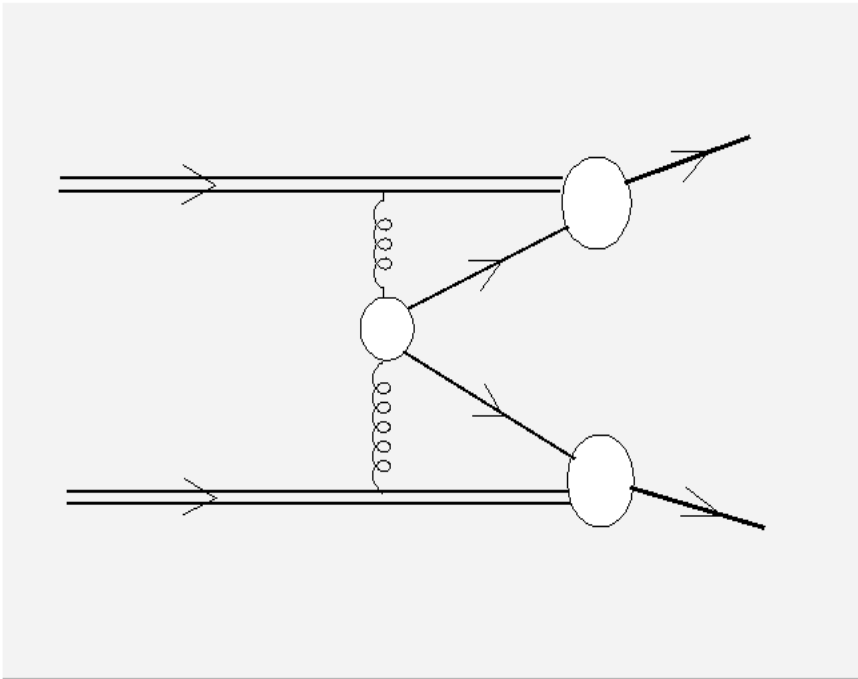
Gaussian shift,
average 0.5 GeV/c, fluctuation 0.27 GeV/c

Spectators must recoil (opposite shift)

Hadronization:

Alternative 1: diquarks = final hadrons

Alternative 2: u-ubar or d-dbar pair created with random gaussian relative PT
(Andersson, Sjostrand etc, Lund model and Pythia)



Alternative 3: more complex spin-dependent schemes (e.g. Andersson et al 1979, Pomp et al 2002, Artru and Richard 2004, for Lambda and Lambda-Antilambda)

Full scheme for unpolarized scattering:

In a “collider” reference frame the xy plane is random-rotated about z

+/- transverse spins are sorted for quark and antiquark along y

x , K_x , K_y are sorted for quark and antiquark

Quark – antiquark rescattering

Antiquark – diquark rescattering

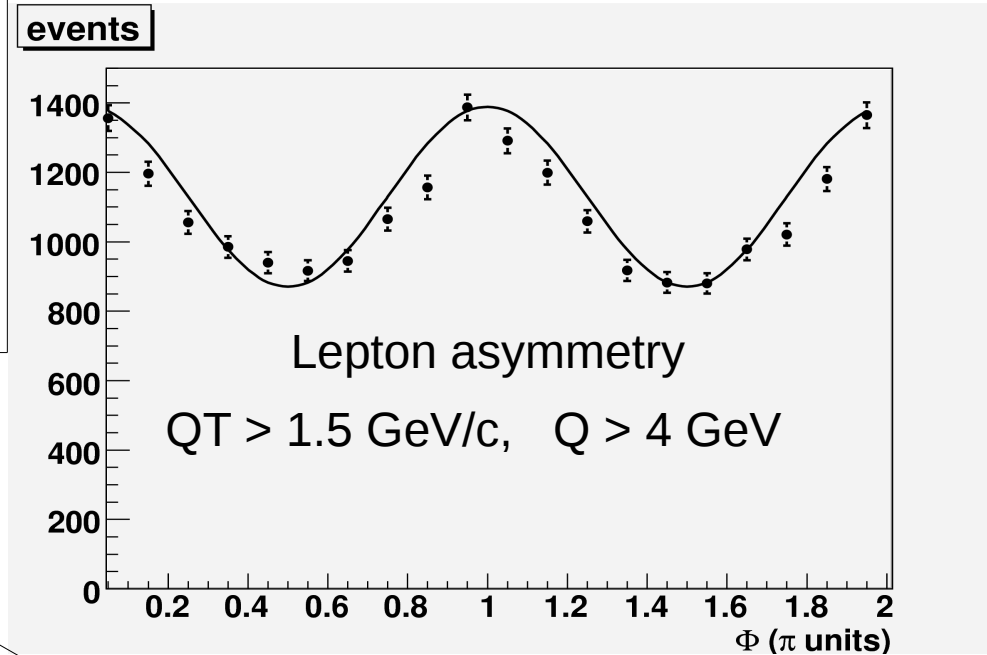
Sorted μ^+/μ^- momenta (for given virtual photon momentum)

Accept-reject procedure on the hard process quark-antiquark \Rightarrow lepton pair

Hadronization of the spectators.

(AB, arXiv:0912.3872 & EPJA)

Pair	Q	Kevents	Asymmetry
Leptons Hadrons	0-1.5 GeV/c	975	0.017 0.050
Leptons Hadrons	1.5-3 GeV/c	133	0.134 0.133



Alternative 1: spectators = final hadrons

Alternative 2: gaussian spread of the transverse relative momentum of the u-ubar pair created in the hadronization

Gaussian width (GeV/c)	Asymmetry
0	0.133
0.35	0.121
0.7	0.09

